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- good average of 14.2/20 points,
- 15 students scored 19 or 20 points,
- 72 students better than the average.
- 2 tests received without name.
- Student 9023503 not registered?

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- $(A + B)^2 \neq A^2 + 2AB + B^2$ in general.